

# Connectivity at a cost

## Economic dynamics of connectivity restoration

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# What is connectivity restoration?

Many natural habitats have become increasingly *fragmented*

Cause: various human activities

Result: loss of biodiversity, and welfare losses linked to this

*Connectivity restoration* aims to reconnect remaining habitats

We look at rivers & hydro, but issue is more general



S

hip

Well

**”But gentlemen,  
this is not  
economics!”**



## Keeping it simple...

Assume that a river habitat  $A$  has been subdivided into  $N$  fragments of equal size by  $N-1$  identical hydropower plants

Each hydro plant produces electricity worth  $h$

Assume that diversity loss has been maximal:  $S$  has declined to

$$S_{eqnew} = c \left( \frac{A}{N} \right)^z = cN^{-z} A^z$$

## Still keeping it simple...

Assume that the value of species diversity in this river habitat is a linear function of  $S$ ,  $B(S) = bS$

Assume that perfect connectivity can be restored, through bypasses or other measures that entail

- a one-time investment cost  $I$ ,
- and a continuous loss of hydropower value  $dh$

per hydro plant

Is the value of the restored biodiversity worth the cost?

## Two possibilities

**Without** connectivity restoration:

PV of remaining biodiversity + PV of hydropower

$$\int_0^{\infty} bcN^{-z} A^z e^{-rt} dt + (N-1) \int_0^{\infty} he^{-rt} dt$$

**With** connectivity restoration:

PV of improved biodiversity + PV of remaining hydropower – investment cost

$$\int_0^{\infty} bS(t)e^{-rt} dt + (N-1) \int_0^{\infty} (1-d)he^{-rt} dt - (N-1)I$$

# Which gives us the result...

...that restoring connectivity only makes sense if

$$bcA^z (1 - N^{-z}) \left( \frac{k}{r + k} \right) > (N - 1)(rI + dh)$$

...so for some parameter values, connectivity restoration is **not** socially optimal

Kinda obvious and not very exciting

Let's (try to) make this (a bit) more interesting

## Impose an extra constraint

Assume that the value of the lost biodiversity is greater than the value of the hydropower produced

→  $h(N - 1) < bcA^z (1 - N^{-z})$   
It would have been better if the hydro plants had never been built

Is this enough to ensure that restoration measures will be socially beneficial?



## Plug in this constraint, and...

...we get that restoration can **still** entail a net social loss, if

$$bcA^z(1 - N^{-z})\left(\frac{k}{r + k}\right) < (N - 1)(rI + dh) < (N - 1)rI + bcA^z(1 - N^{-z})d$$

Two reasons why we might get this outcome:

- Investment cost,  $I$
- Time lag for diversity recovery,  $k < \infty$ , while hydro loss  $dh$  begins instantly

Let's get rid of  $I$ . Assume that building a bypass is costless,  $I = 0$

Set  $l = 0$ , and...

...we get that restoration can **still** entail a net social loss, if

$$bcA^z(1 - N^{-z})\left(\frac{k}{r + k}\right) < (N - 1)dh < bcA^z(1 - N^{-z})d$$

This outcome is possible if

$$\left(\frac{k}{r + k}\right) < d$$

Is  $\left(\frac{k}{r+k}\right) < d$  likely to be the case?

$d$  usually  $> 0.05$  and often  $> 0.20$

$r$  typically  $0.02 - 0.05$

If half the species diversity recovers in twenty years,  $k \approx 0.035$

With  $r = 0.035$  and  $k = 0.035$ , connectivity restoration can cause social loss if  $d > 0.5$

With  $r = 0.05$  and  $k = 0.0175$ , connectivity restoration can cause social loss if  $d > 0.26$

## So what?

- Well, even with a model that exaggerates net benefits of connectivity restoration, we have found...
- ...that because of the lag in recovery...
  - ...there are plausible economic parameters for which connectivity restoration may not make sense...
  - ...even in river systems where hydropower should never have been established in the first place



## Increase $k$ artificially?

If we restore connectivity, and re-establish  $N'$  species at a cost  $f$  per species, the net benefit is

$$\int_0^{\infty} bN' e^{-kt} e^{-rt} dt - fN'$$

If we *don't* restore connectivity, but still re-establish  $N'$  species, the net benefit is...

$$\int_0^{\infty} bN' e^{-kt} e^{-rt} dt - fN'$$